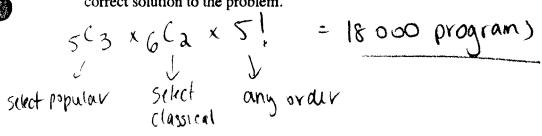
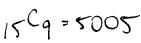
b) The teacher indicated that all three students had given an incorrect answer. Determine the correct solution to the problem.



Complete Assignment Questions #1 - #20

## Assignment

- 1. A basketball squad of 11 players is to be chosen from 17) available players. In how many ways can this be done if:
  - a) Colin and Darryl must be selected?



- 2. Fifteen rugby players line up for a team picture, with seven players in the front row and eight players in the back row. Expressing your answer in factorial notation, determine the number of arrangements of the fifteen players
  - a) without restrictions

**b)** if the captain is in the middle of the front row

3. Determine the number of arrangements of the letters of the word TATTOO which

a) begin with a T
$$T = ---$$

$$\frac{5!}{2! \cdot 2!} = \frac{30}{30}$$

c) begin with three T's

$$\frac{3!}{2!} = 3$$

b) begin with two T's
$$\frac{1}{2!} = 12$$

41

d) begin with exactly two T's

$$TTD | - - 3! = 6$$

$$TTA | - - \frac{3!}{2!} = 3$$

$$6+3=9$$

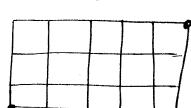
- 4. Ten students have been elected to serve on students' council.
  - a) In how many ways can 4 of these students be chosen to represent the school as ambassadors at the provincial education conference?

b) In how many ways can a president, vice-president, secretary, and treasurer be chosen from the ten students?

c) Six of the ten students elected to students' council are girls. In how many different orders can four of the students line up for a photograph if there must be an equal number of boys and girls in the photograph?

5. A town has 6 streets running from north to south and 4 avenues running from west to east. A man wishes to drive from the extreme south-west intersection to the extreme north-east intersection, moving either north or east along one of the streets or avenues.

Tania used the expression  $\frac{10!}{6!4!}$  to determine the number of different ways to drive from the extreme south-west intersection to the extreme north-east intersection. Draw a diagram to illustrate the situation and explain why Tania was incorrect in her reasoning.



$$\frac{8!}{5!3!} = \frac{56}{}$$

- 6. How many arrangements are there of the letters of the word MONOTONOUS under lo each condition?
  - a) without restrictions

$$\frac{10!}{4! \, \lambda!} = 75600$$

c) if each arrangement begins with an O

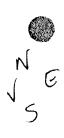
$$\frac{9!}{3!a!} = 30 a40$$

b) if each arrangement begins with a T

λN

d) if the four O's are to be together

$$\frac{1}{2!} = 3520$$





The number of ways that an executive committee consisting of prime minister, deputy prime minister, treasurer, and secretary can be chosen from 16 student council members

-permutation forder maters

B. 
$$\frac{16!}{4!}$$
 16 Py

C. 
$$\frac{16!}{12! \ 4!}$$

$$\begin{array}{ccc}
\hline
\mathbf{D.} & \frac{16!}{12!} & = \frac{|b|}{(|b-4|)!} & = \frac{|b|}{|a|}
\end{array}$$

Use the following information to answer the next question.

A sports store has jerseys representing the seven Canadian NHL teams and the eight Canadian CFL teams. Five of these jerseys have to be chosen for display in a store window. The store owner decides to choose three NHL and two CFL jerseys. These jerseys will be arranged in a row in the store window.

8. The number of displays that can be made by choosing the jerseys and then arranging them in the window is

9. A researcher has collected data on families with 3 children, families with 4 children, and families with 5 children. Each family is given a code, reflecting the number, gender, and birth order of the children. For example, the code MMMF is given to a family with 4 children where the first 3 children born are boys and the youngest child is a girl. How many different codes are required in this study?

10. The number of arrangements of the letters of the word all the L's are together at the end of the arrangement is

$$(A.)$$
  $\overline{60}$ 

360

## Use the following information to answer the next question.

A student enrolled in a General Studies program at a particular university must take four courses in the first semester.

The student must take English, either Mathematics or Psychology, and either two courses from Group Afor two courses from Group B below.

math	Group A	Group B
11 (Vel 1)	French	Biology
Psych	Spanish	Chemistry
10001	German	Computing
1 y C	History	Geology
0-1	Geography	

The number of four-course programs available to the student is

**A.** 
$${}_{2}C_{1} \times ({}_{5}C_{2} \times {}_{4}C_{2})$$

**B** 
$$_{2}C_{1} \times (_{5}C_{2} + _{4}C_{2})$$

A. 
$${}_{2}C_{1} \times ({}_{5}C_{2} \times {}_{4}C_{2})$$
 d from group A  ${}_{5}C_{1}$ 

B)  ${}_{2}C_{1} \times ({}_{5}C_{2} + {}_{4}C_{2})$  d from group B  ${}_{4}C_{2}$ 

C.  ${}_{2}P_{1} \times ({}_{5}P_{2} \times {}_{4}P_{2})$  or "mans add."

**D.** 
$$_{2}P_{1} \times (_{5}P_{2} + _{4}P_{2})$$

The area codes in a country all contain three digits from the digits 1 to 9. Which of the

following restrictions will result in the most area codes?

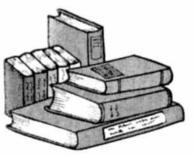
A. The digits are all different.

$$9x & x & 1 = 504$$
 $9x & x & 1 = 504$ 

D. All the digits are even or all the digits are odd. 
$$\frac{4 \times 4 \times 4}{64 + 125} = 189$$

13. If  ${}_{n}P_{r} = 11\,880$  and  ${}_{n}C_{r} = 495$ , then the value of *n* is

On the floor of her study, a student has 5 different English books, 2 different Science books, and 2 different Mathematics books.



- 14. The number of ways in which three of these books can be arranged on a bookshelf is
  - $\mathbf{A.} \quad {}_5P_1 \times {}_2P_1 \times {}_2P_1$

9 different book - arrang 3 from 9

- $\bigcirc$   $_{9}P_{3}$ 
  - $\mathbf{C}$ .  ${}_{9}C_{3}$
  - **D.** 3!



15. The number of ways of arranging two English books, two Science books, and a Mathematics book on a bookshelf is \_\_\_\_\_.

(Record your answer in the numerical response box from left to right.)



$$(5^{(2)})(2^{(2)})(3^{(1)})5! = 2400$$

16. The number of arrangements of the letters of the word **STUDENT** in which the two **T**'s are not adjacent is \_\_\_\_\_.

(Record your answer in the numerical response box from left to right.)

#(norestrictions) - #(adjaunt)  
= 
$$\frac{7!}{2!}$$
 - 6! = 2720 - 720 = 1800

STLMDEN

adjacent >6! ways.

17. 35 different quadrilaterals can be formed by connecting points on the circumference of a circle. The number of points on the circle is \_\_\_\_\_\_.

(Record your answer in the numerical response box from left to right.)



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18.	A basketball team consists of some guards and six forwards. If there are 420 ways to
	select two guards and three forwards to the starting line-up, then the number of guards or
	the team is

(Record your answer in the numerical response box from left to right.)

$$(n^{c}a)(6^{c}3) = 420$$
  
 $(n^{c}a)(20) = 420$   
 $n^{c}a = 420$   
 $n^{c}a = 21$ 

Customer service representatives at a men's designer store must wear company attire. They have a choice of three different shirts, four different ties, and two different pairs of pants. The number of different outfits that a customer service representative could create using these items is \_\_\_\_\_.

(Record your answer in the numerical response box from left to right.)



$$3 \times 4 \times 2 = 24$$

A coach must choose the 5 starters for a basketball team from 6 males and 5 females. If there must be at least two of each gender in the starting line-up, the number of differen groups of players that can be chosen is \_\_\_\_\_.

(Record your answer in the numerical response box from left to right.)

$$2m3F$$
 or  $3m2F$   
 $-(6^{C}2)(5^{C}3) + (6^{C}3)(5^{C}2)$   
 $-15(10) + 20(10)$   
 $-150 + 200 = 350$ 

## Answer Key

- 1. a) 5005
- **b**) 7371
- 2. a) 15!
- **b**) 14!

- 3. a) 30 **b**) 12
- 4. a) 210
- **b**) 5040
- c) 2160
- 5. He has to drive 5 blocks east and 3 blocks north in any order. So the answer is  $\frac{8!}{5!3!}$  = 56.
- 6. a) 75 600
- **b)** 7560
- c) 30 240
- d) 2520

- 7. D 8. C 9. B
- 10. A 11.B 12. C 16. 8 0
- 13. B 14.B

- 15. 2 0 0
- 19.
- 17. 20.

- 18.